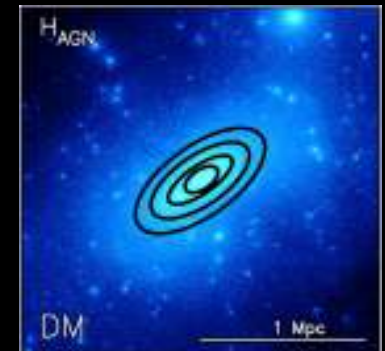
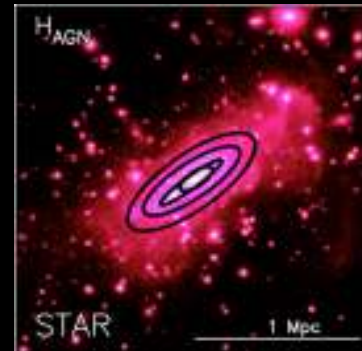
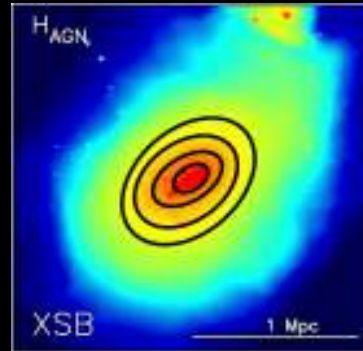
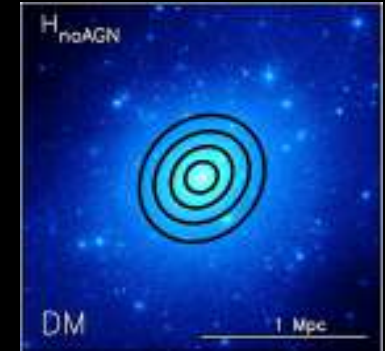
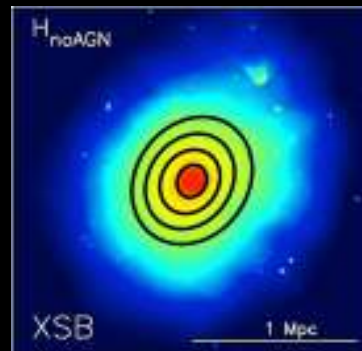


Impact of baryon physics on non-sphericity of galaxy clusters

Hydro-simulation
with AGN feedback



Hydro-simulation
without AGN
feedback

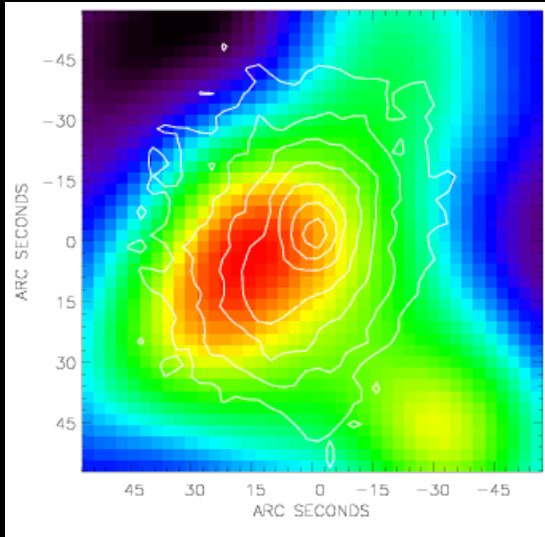


Yasushi Suto

Department of Physics and RESCEU (REsearch Center for the Early Universe), The University of Tokyo

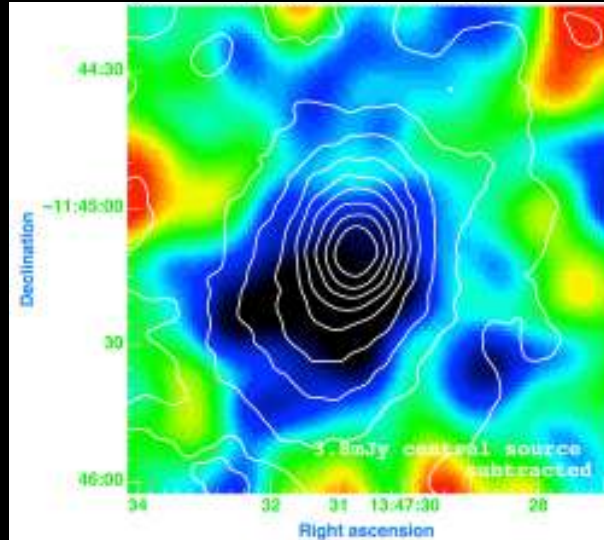
15:45-16:10 on Nov. 1, 2016 @ 7th KIAS cosmology workshop

Progress of SZ mapping of clusters: case of RX J1347.5-1145



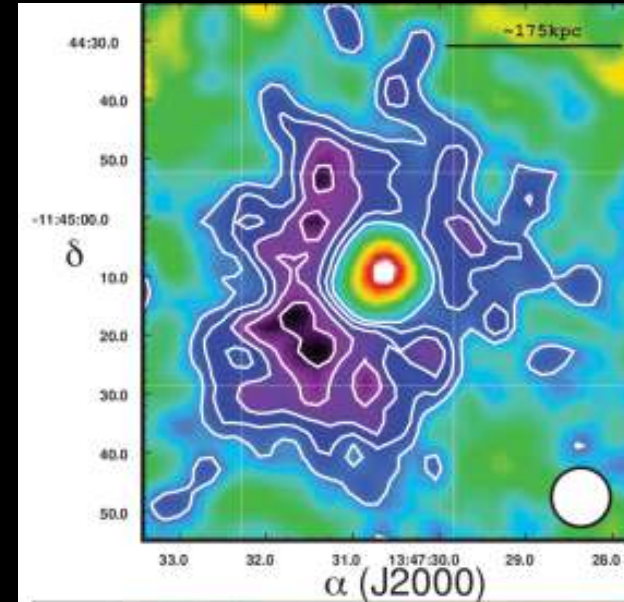
The first SZ map at
350GHz (FWHM=15")
color: SCUBA@JCMT
contour: Chandra

Komatsu et al. (1999)



150GHz
(FWHM=13")
color: NOBA@Nobeyama
contour: Chandra

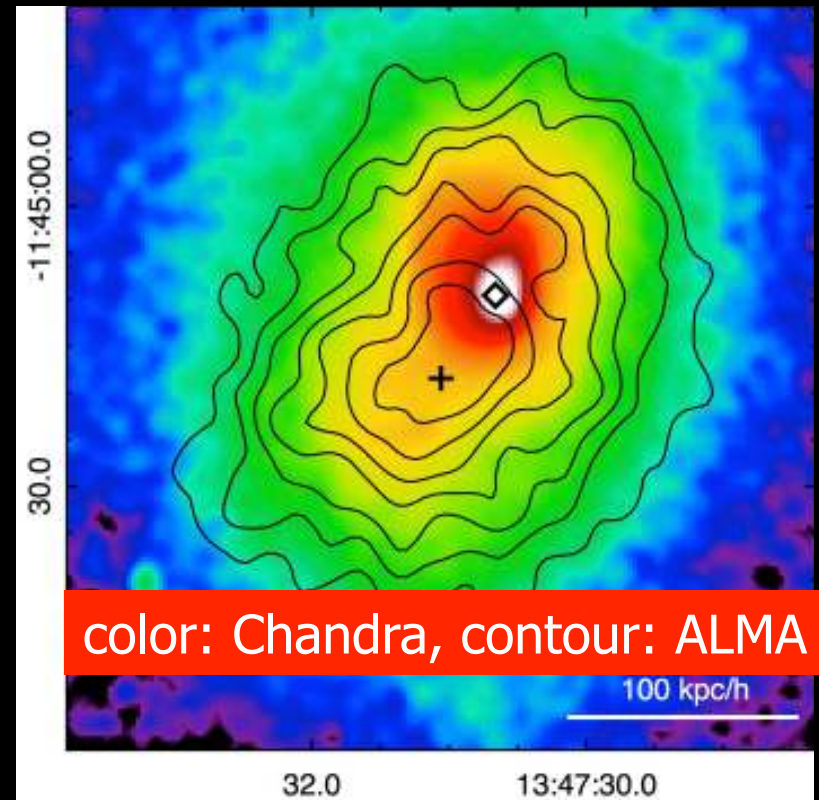
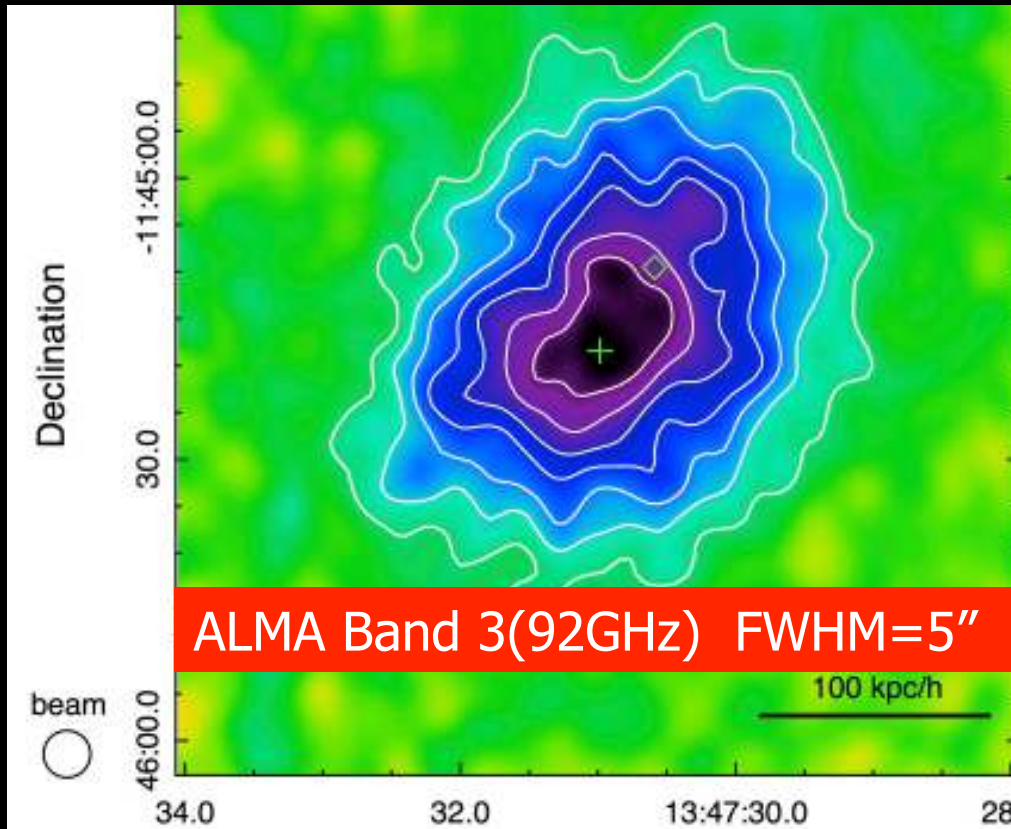
Komatsu et al. (2001)
Kitayama et al. (2004)



90GHz
(FWHM=10")
MUSTANG
@Green bank

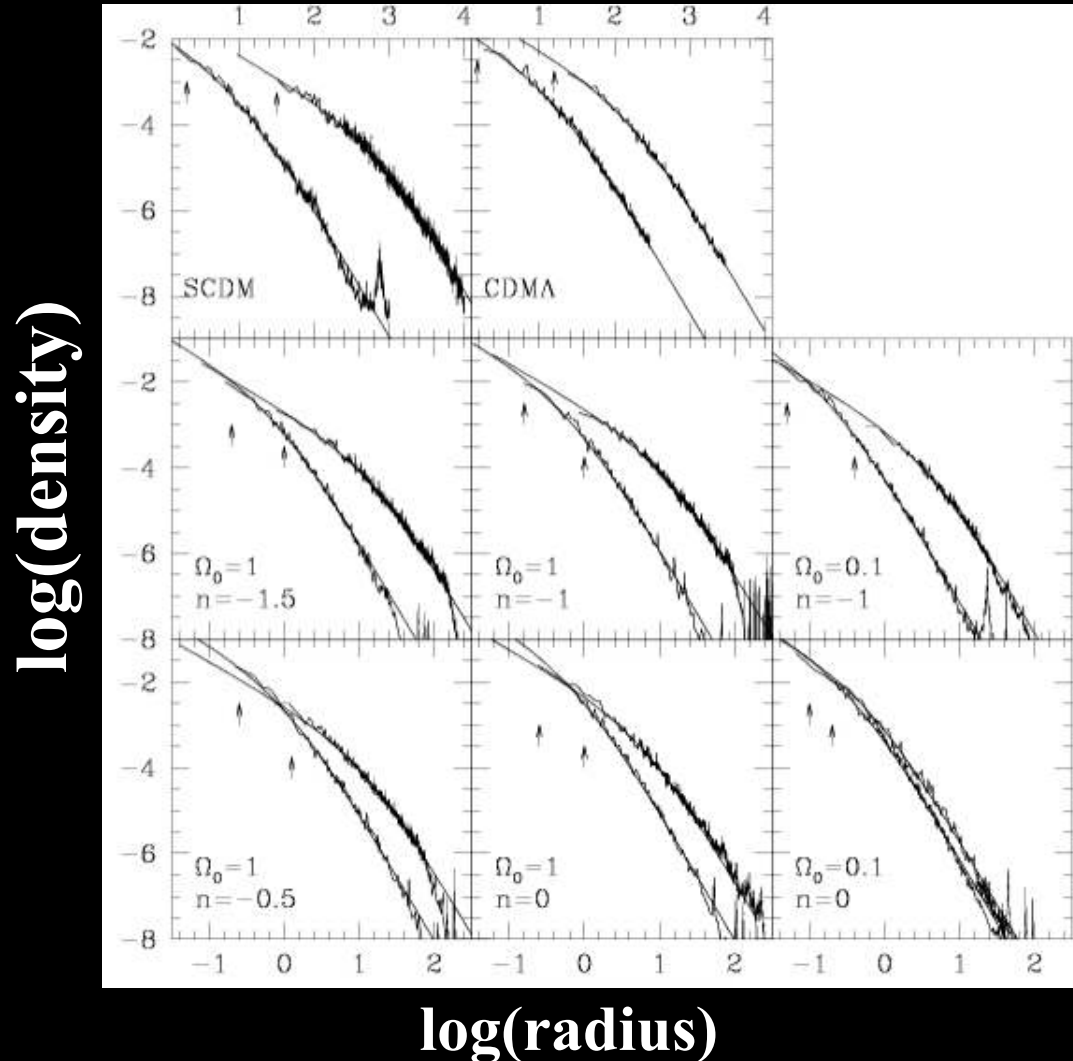
Mason et al. (2010)

The Sunyaev-Zel'dovich effect at 5": RX J1347.5-1145 imaged by ALMA



Kitayama et al. PASJ 2016, 68, 88(1-19)
arXiv:1607.08833

Amazing universality of *spherically-averaged* density profiles of halos



- **NFW profile**
 - Spherically-averaged density profiles of collisionless CDM halos

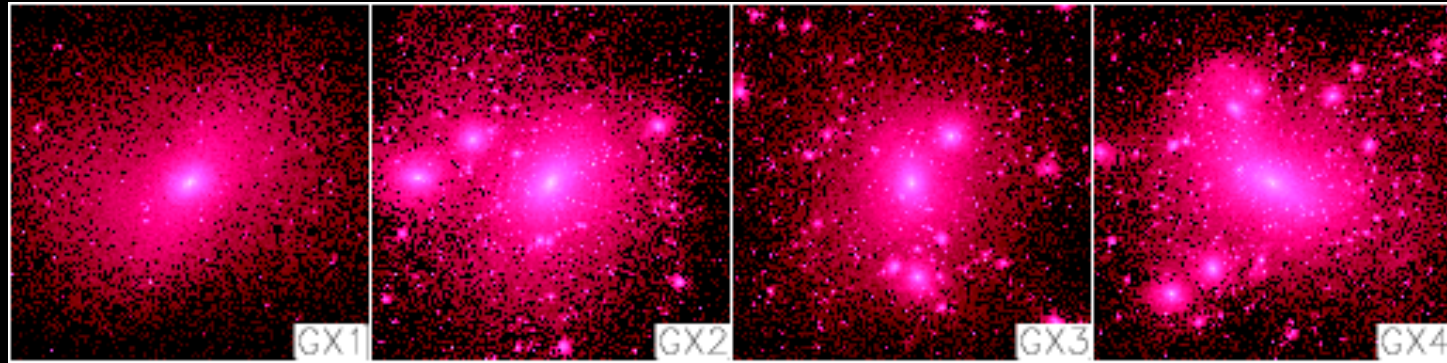
$$\rho(r) = \frac{\delta_c \rho_{crit}}{(r / r_s)(1 + r / r_s)^2}$$

Navarro, Frenk & White (1997)

Shapes of dark matter halos: highly non-spherical

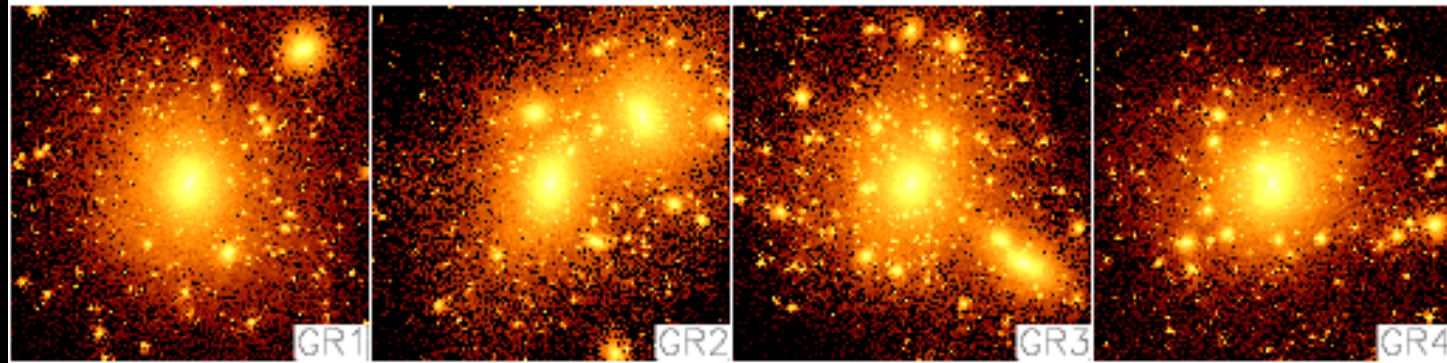
galaxies

$\sim 5 \times 10^{12} M_{\text{sun}}$



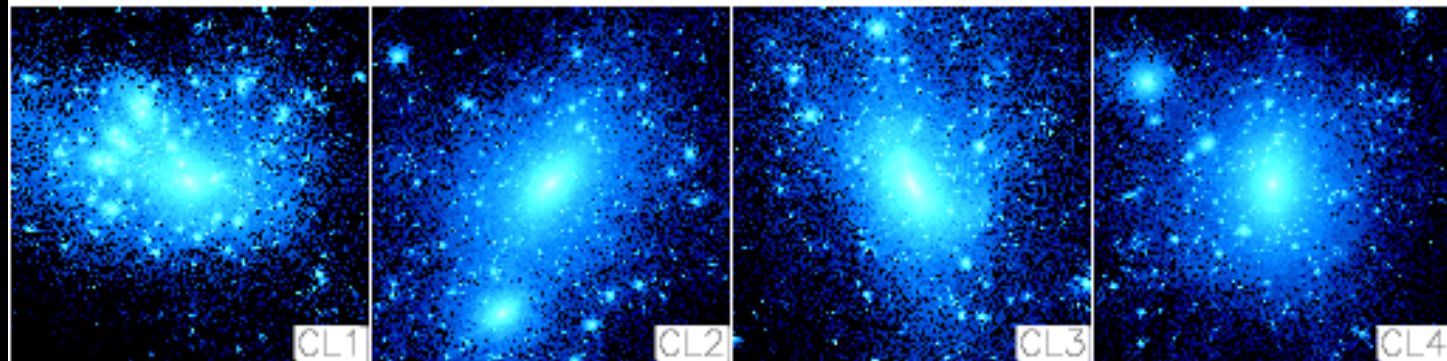
groups

$\sim 5 \times 10^{13} M_{\text{sun}}$



clusters

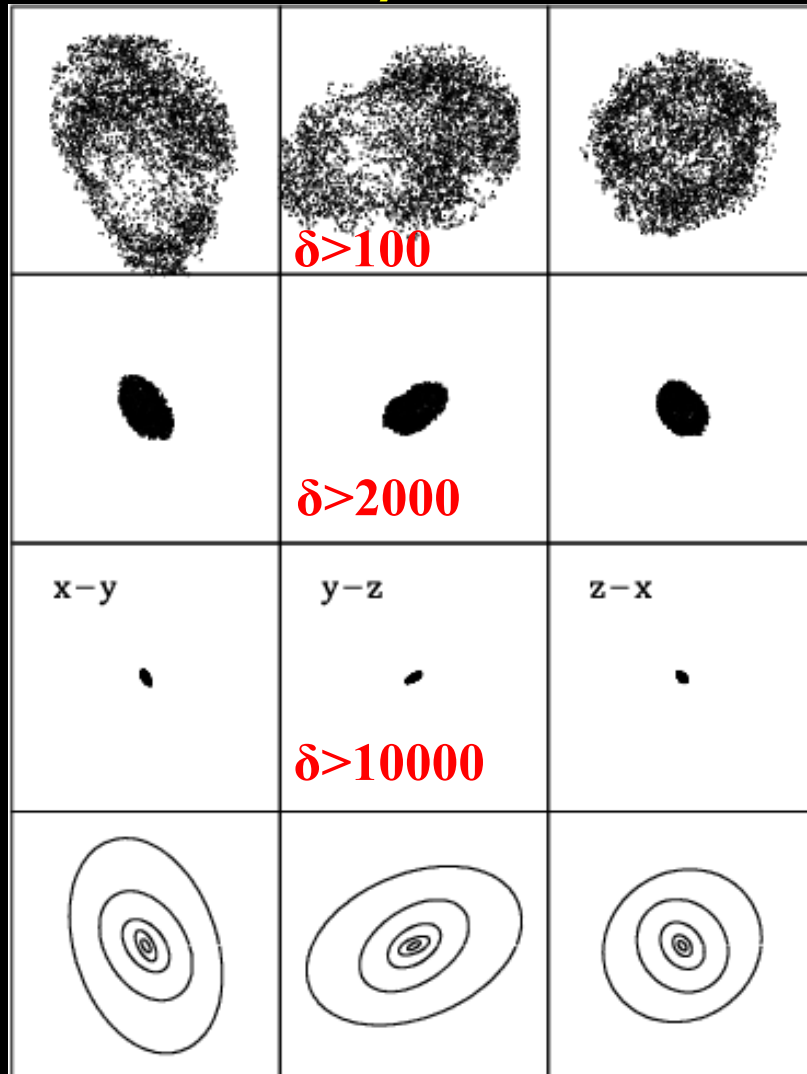
$\sim 3 \times 10^{14} M_{\text{sun}}$



N-body simulation by Jing & Suto (2000)

Triaxial model of dark matter halos

Isodensity of a halo

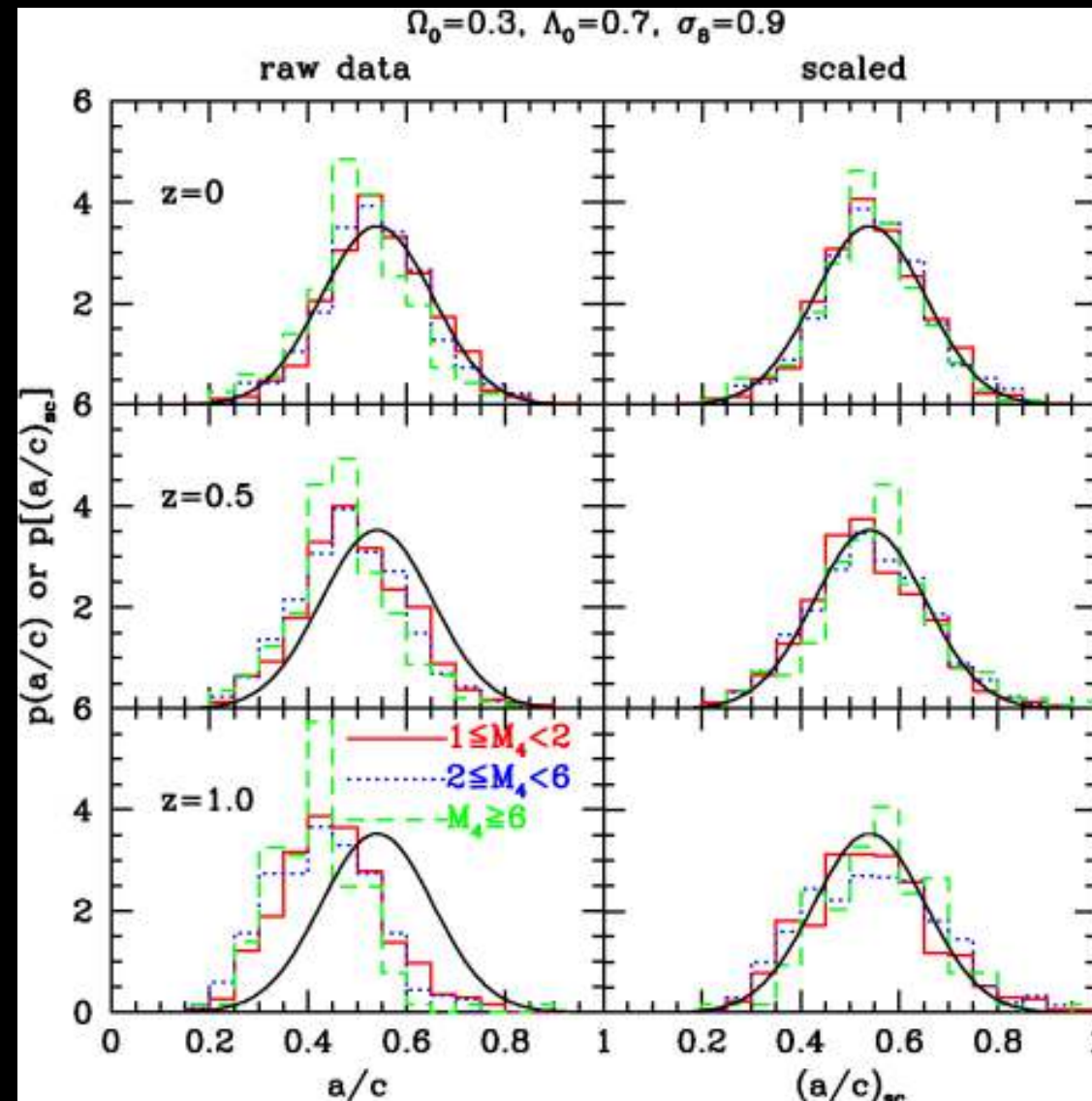


$$\rho(R) = \frac{\delta_c \rho_{crit}}{(R/R_s)^\alpha (1 + R/R_s)^{3-\alpha}}$$
$$R^2(\rho) \equiv \frac{X^2}{a^2(\rho)} + \frac{Y^2}{b^2(\rho)} + \frac{Z^2}{c^2(\rho)}$$

Jing & Suto *ApJ* 574 (2002) 538

- widely applied for a variety of cosmological problems, but is fairly simplified
 - concentric, self-similar (axis ratio is independent of radius)

PDF of axis ratio



Scaled axis ratio

$$\tilde{r}_{ac} = \left(\frac{a}{c}\right)_{scaled} = \left(\frac{a}{c}\right) \left(\frac{M_{vir}}{M_{nonlinear}(z)}\right)^{0.07\Omega(z)^{0.7}}$$

PDF of the scaled axis ratio

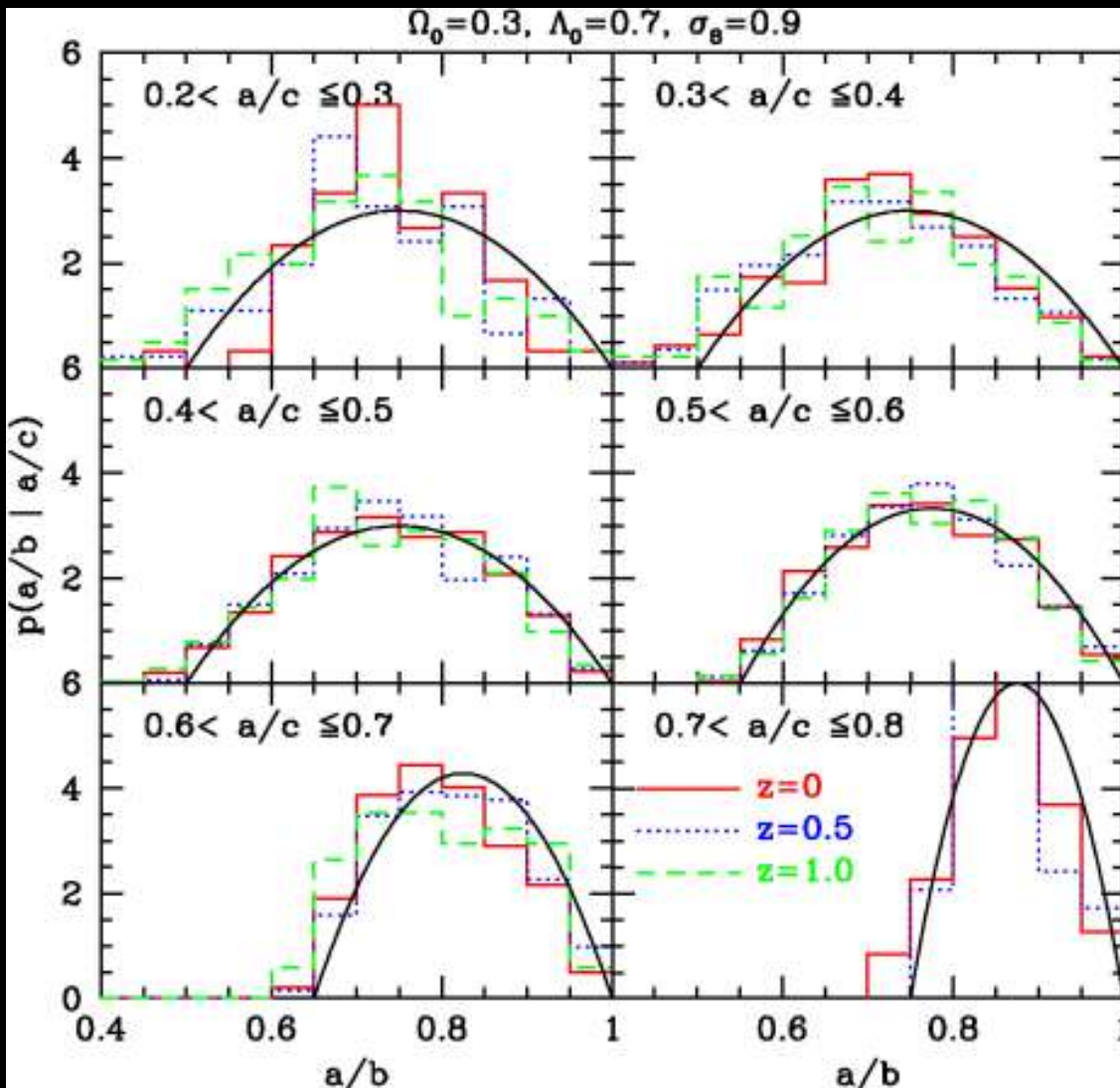
$$p(\tilde{r}_{ac}) = \frac{1}{\sqrt{2\pi\sigma^2}} \exp\left(-\frac{(\tilde{r}_{ac} - 0.54)^2}{2\sigma^2}\right)$$

$$\sigma = 0.113$$

- Higher z for a given mass, less spherical
- More massive at a given z , very slightly less spherical

Jing & Suto (2002)

Conditional PDF of axis ratio



Joint PDF

$$\begin{aligned}
 & p\left(\frac{a}{c}, \frac{b}{c}\right) d\left(\frac{a}{c}\right) d\left(\frac{b}{c}\right) \\
 &= p\left(\frac{a}{c}\right) d\left(\frac{a}{c}\right) p\left(\frac{b}{c} \middle| \frac{a}{c}\right) d\left(\frac{b}{c}\right) \\
 &= p\left(\frac{a}{c}\right) d\left(\frac{a}{c}\right) p\left(\frac{a}{b} \middle| \frac{a}{c}\right) d\left(\frac{a}{b}\right)
 \end{aligned}$$

conditional PDF

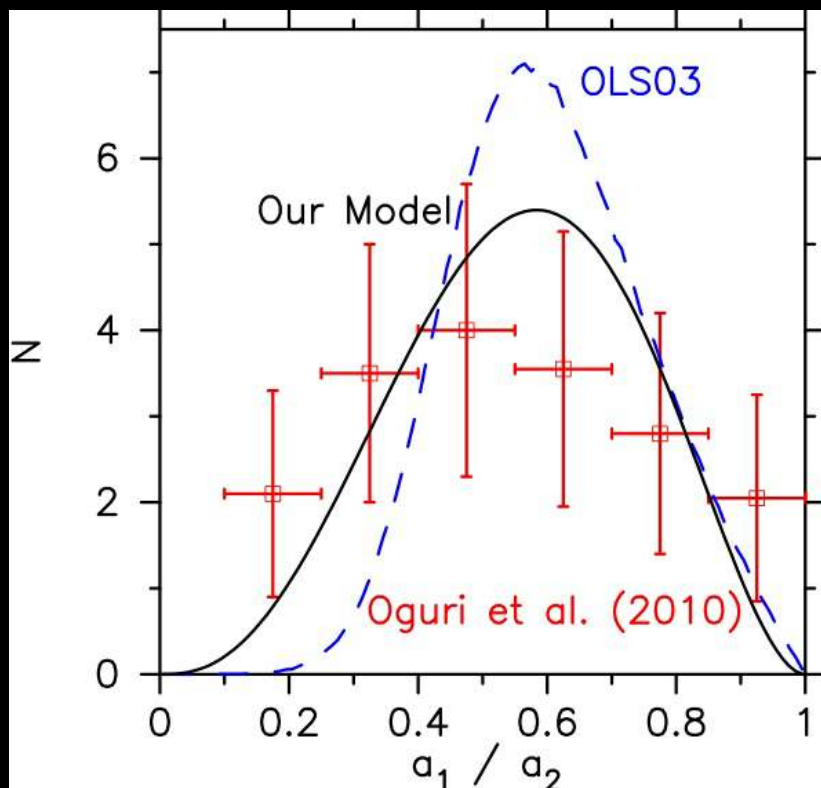
$$p\left(\frac{a}{b} \middle| \frac{a}{c}\right) = \frac{3}{2(1-r_{\min})} \left[1 - \left(\frac{2a/b - 1 - r_{\min}}{1 - r_{\min}} \right)^2 \right]$$

for $a/b > r_{\min}$, otherwise 0

where $r_{\min} = a/c$ for $a/c > 0.5$

= 0.5 for $a/c < 0.5$

Tentative comparison with observed axis ratio from weak lensing



Suto et al. (2016)

- Subaru Suprime-Cam weak-lensing map for 18 massive clusters (Oguri et al. 2010, MNRAS 405, 2215)
- Our result fits the observed data better than the OLS03 prediction
- Promising for future comparison with Subaru Hyper Supreme-Cam data

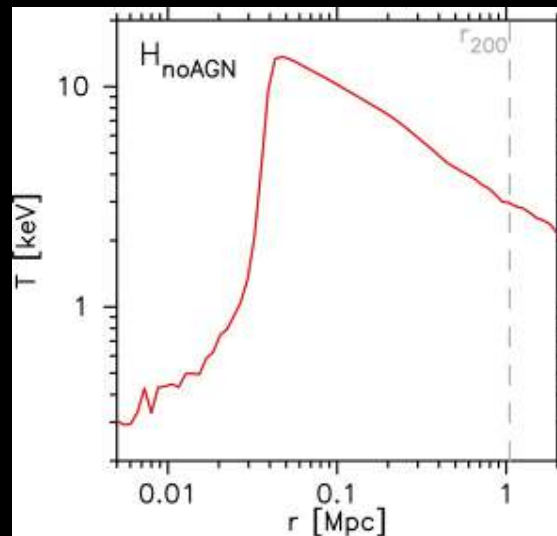
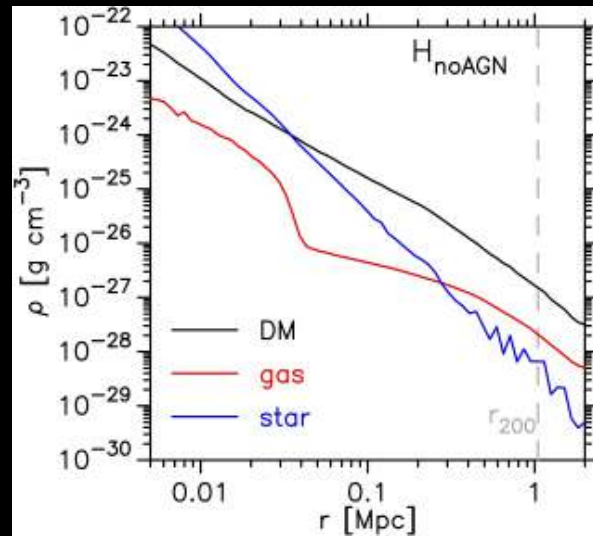
Horizon simulations

- **Cosmological hydro-simulation**

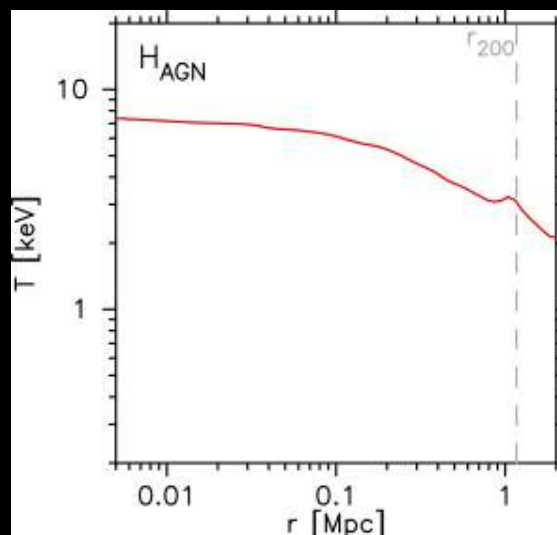
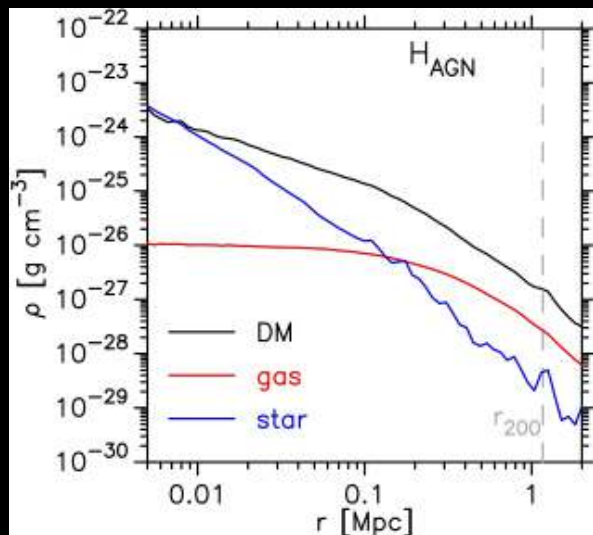
(Dubois et al. 2014)

- $N=1024^3$ dark matter particles in a cube of $(100h^{-1}\text{Mpc})^3$; $m = 8.27 \times 10^7 M_{\odot}$
- **Adaptive mesh refinement** for gas with initial cell size of 136kpc (refined down to 1.06kpc)
 - Gas cooling, heating due to UV background, star formation, and feedback from stellar winds and type I and II SNe are included
- H_{AGN} includes feedback from AGN as well by implementing the growth of central BHs

Baryonic effect inside galaxy clusters



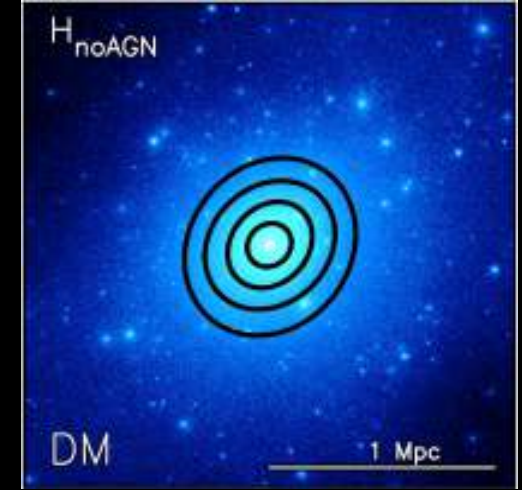
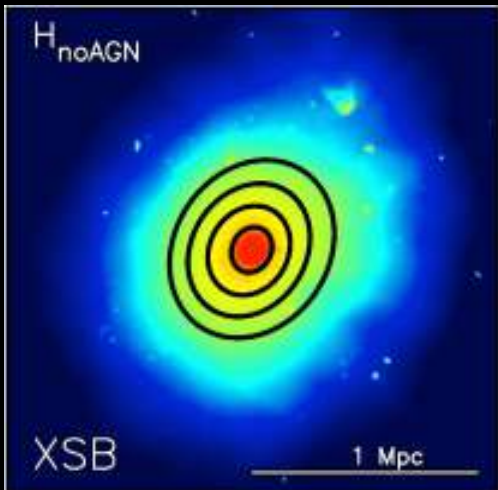
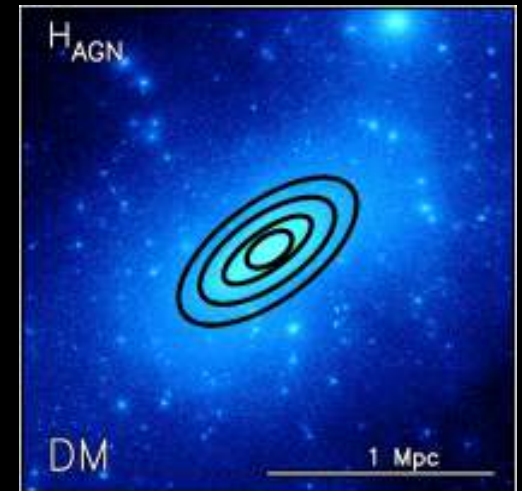
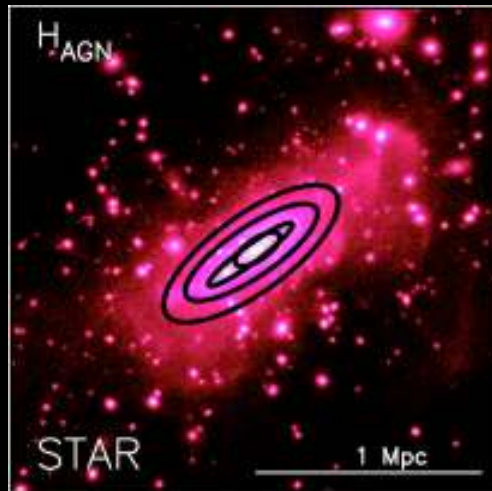
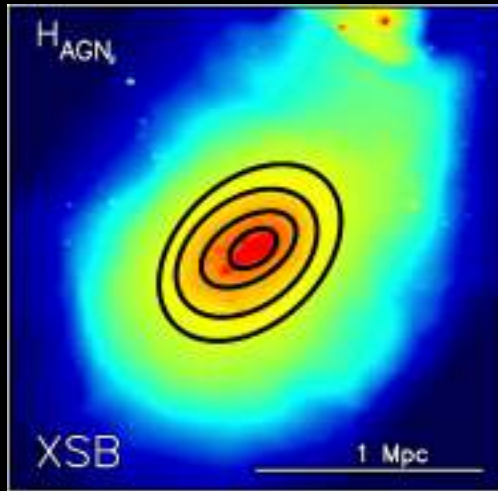
- Both gas cooling and star+AGN feedback need to be properly included in simulations so as to reproduce the (spherically-averaged) observed properties of galaxy clusters



Daichi Suto, Dubois, Peirani, Nishimichi, Kitayama, Sasaki, & Yasushi Suto (2016) submitted to PASJ

Shape of clusters probed by gas, stars, and dark matter

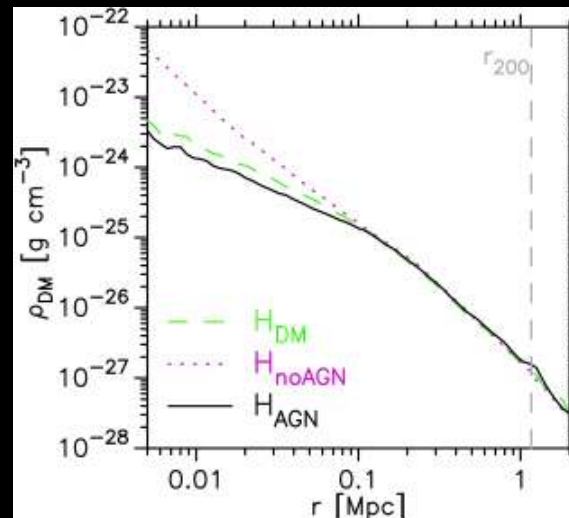
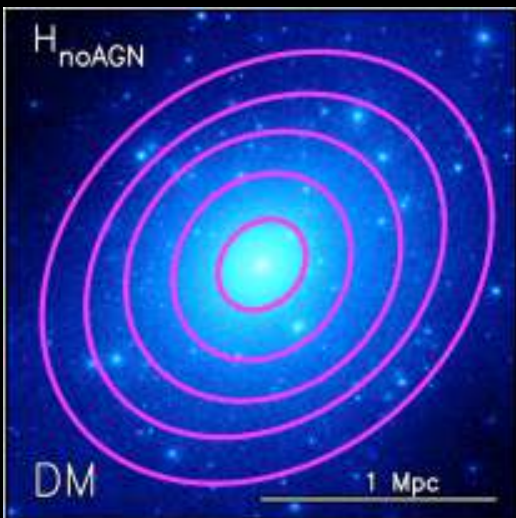
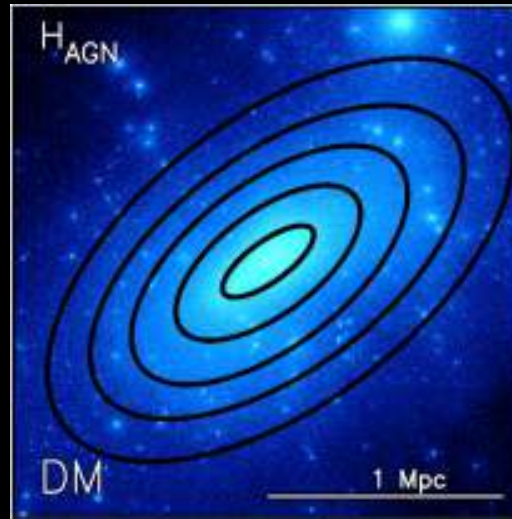
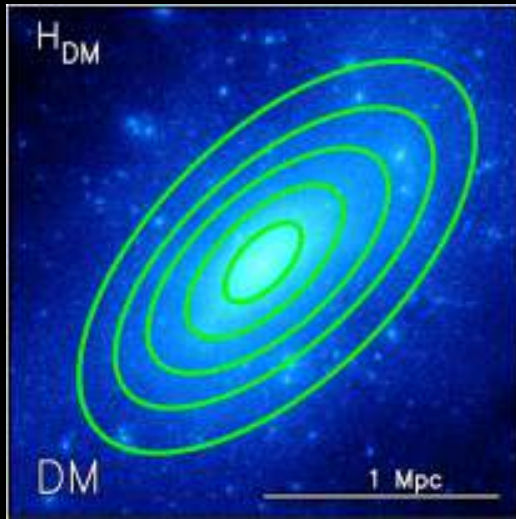
with AGN feedback



without AGN feedback

Suto et al. (2016)

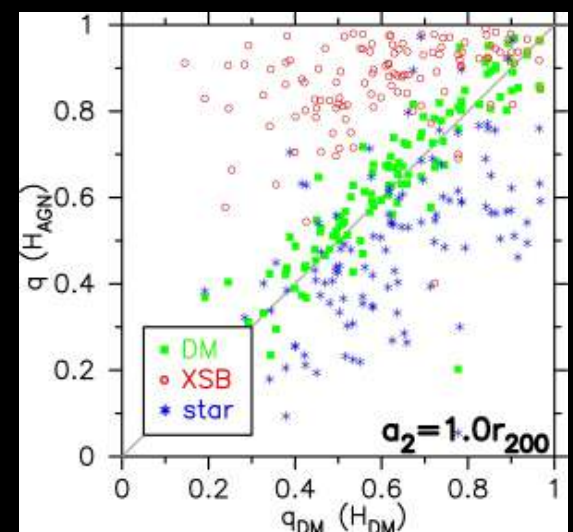
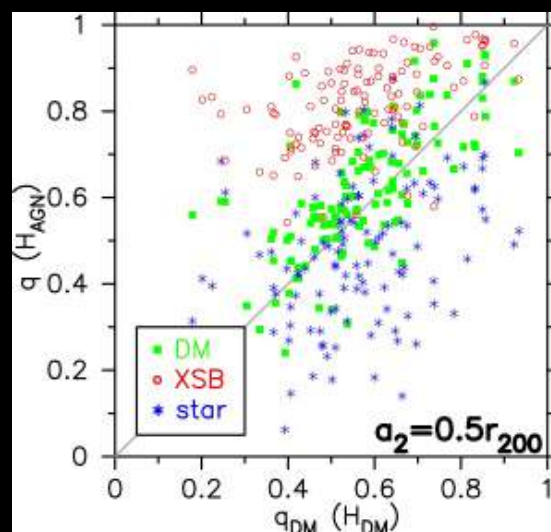
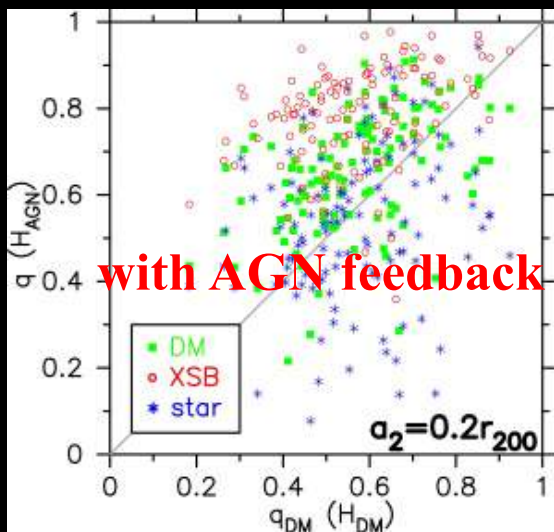
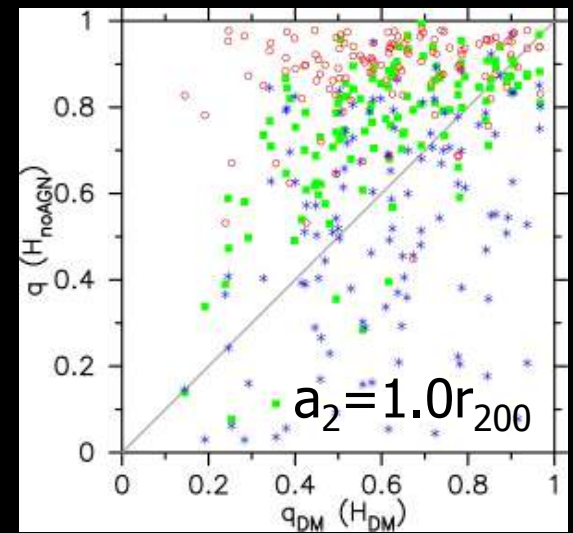
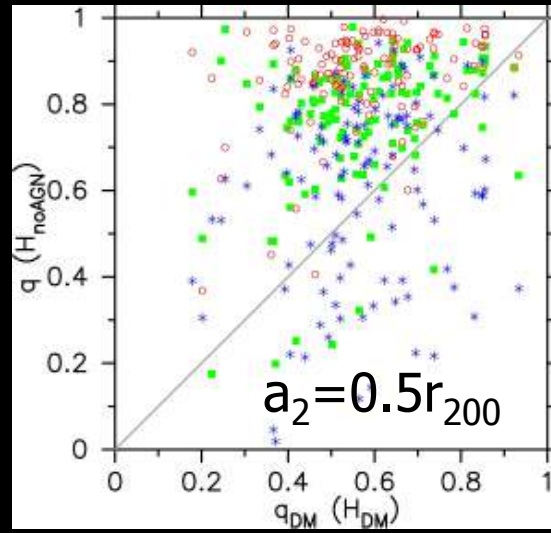
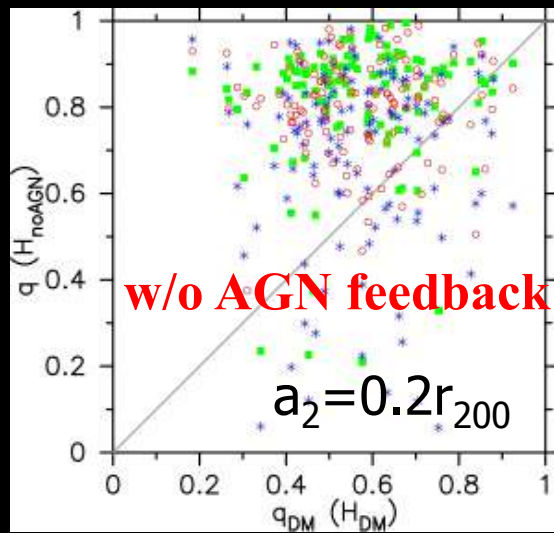
Baryonic effect on the shape of *dark matter* distribution



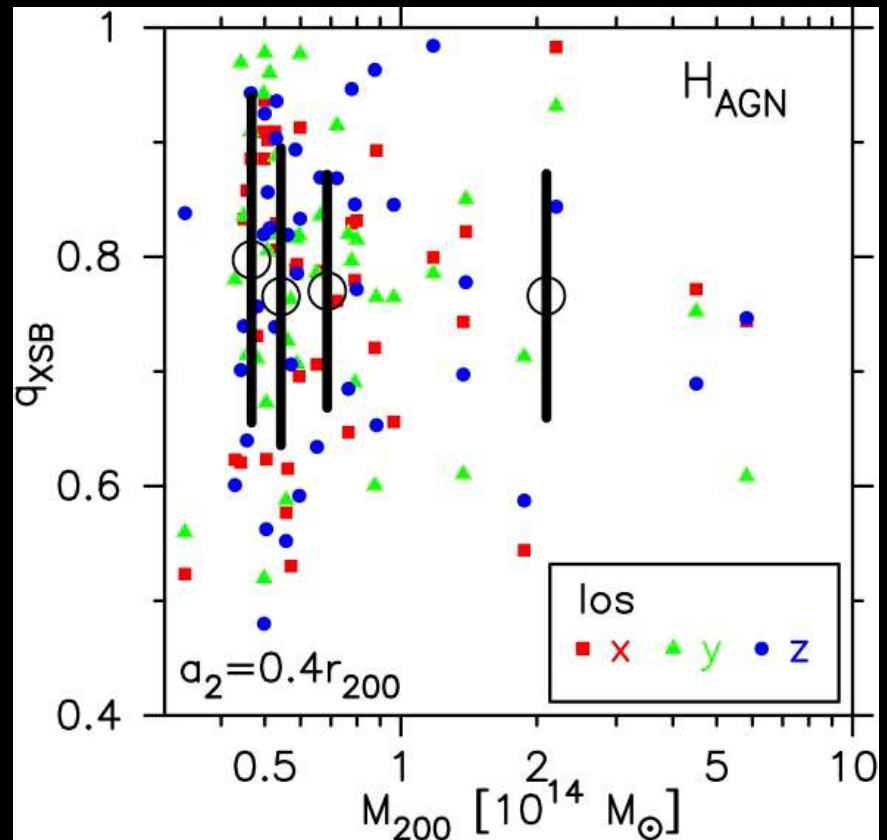
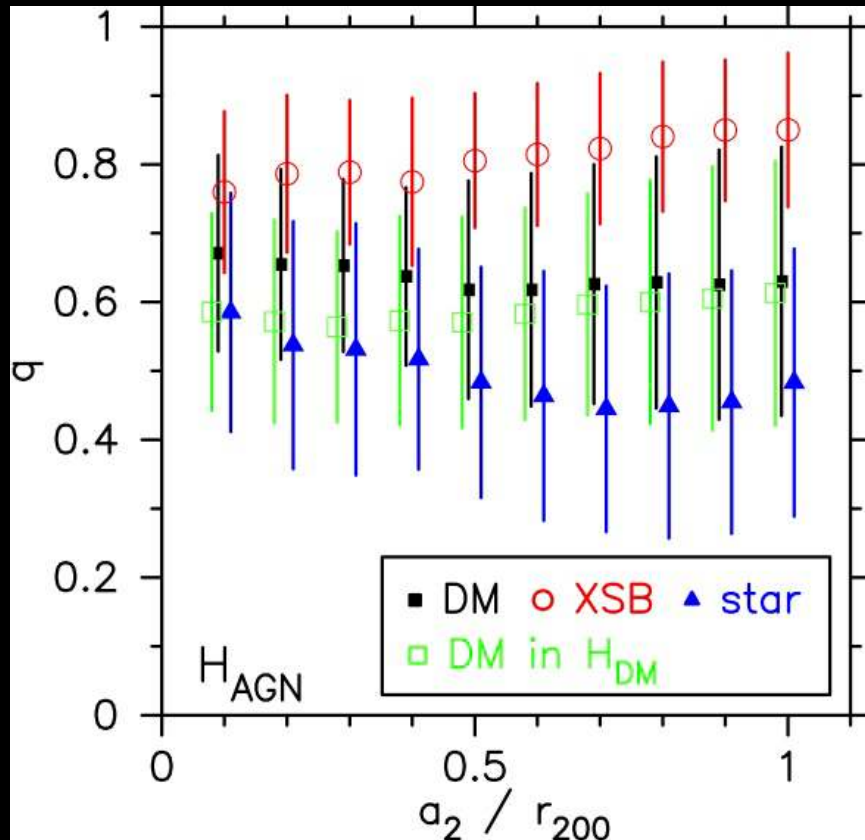
- spherical profiles unchanged for $r > 0.1 r_{vir}$
- significant impact on shapes even up to $0.5 r_{vir}$!

Suto et al. (2016)

Axis ratios of 40 simulated clusters with/without baryon physics



Radial and mass dependence of axis ratio



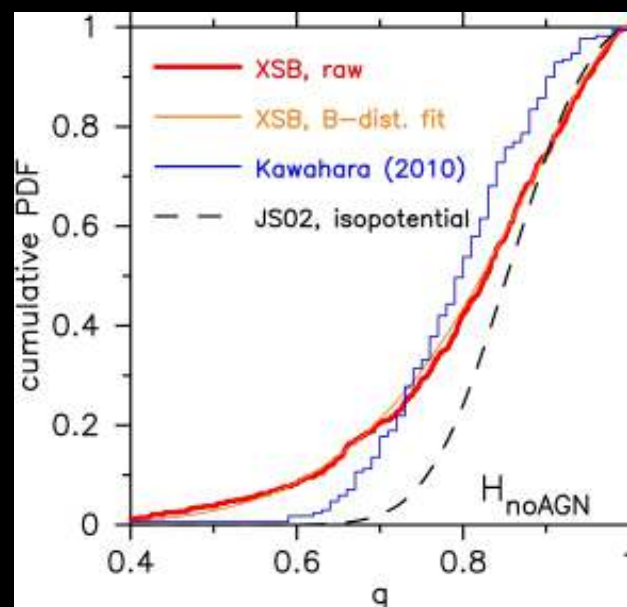
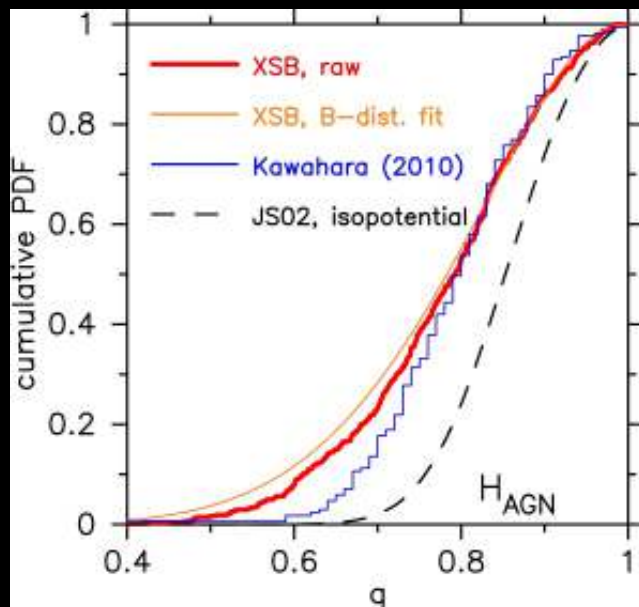
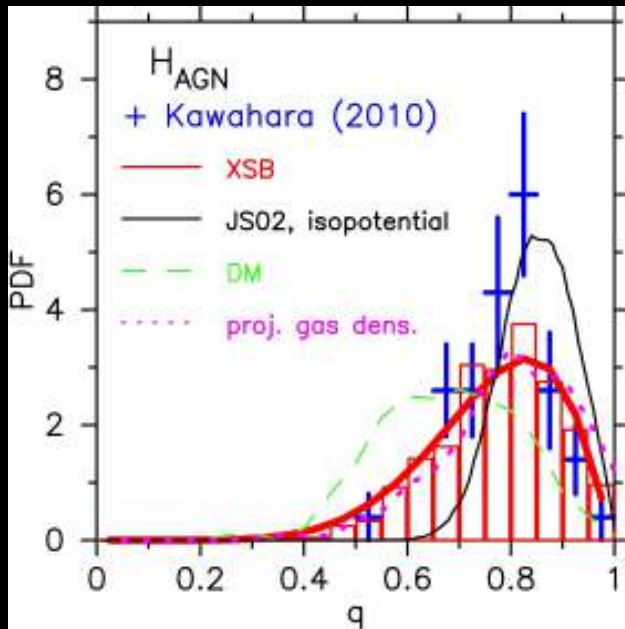
■ $q_{\text{XSB}} > q_{\text{DM}} > q_{\text{star}}$

Suto et al. (2016)

■ no significant mass dependence of axis ratio

Comparison with X-ray observation

- axis ratios of 70 X-ray clusters fitted by Kawahara (2010)
- simulated clusters with AGN feedback reasonably agree with the observed data



Suto et al.
(2016)

Summary

- Galaxies and galaxy clusters are highly non-spherical, but their non-sphericity is not easy to model/interpret theoretically
- Reliable simulations with proper baryon physics are required for observational confrontation
- Current simulations reasonably reproduce the observed axis ratios from weak lensing and X-ray data
- Important and complementary probes of cosmology with future data